

# Chapter 6 Trigonometry

## Section 6.1 Angles and Their Measures

**Objective:** In this lesson you learned how to describe an angle and to convert between degree and radian measures.

Course Number

Instructor

Date

### Important Vocabulary

Define each term or concept.

**Trigonometry**

**Degree**

**Complementary angles**

**Supplementary angles**

**Central angle** of a circle

### I. Angles (Page 454)

An **angle** is determined by . . .

*What you should learn*  
How to describe angles

The **initial side** of an angle is . . .

The **terminal side** of an angle is . . .

The **vertex** of an angle is . . .

An angle is in **standard position** when . . .

A **positive angle** is generated by a \_\_\_\_\_ rotation; whereas a **negative angle** is generated by a \_\_\_\_\_ rotation.

If two angles are **coterminal**, then they have . . .

**II. Degree Measure** (Pages 455–456)

A full revolution (counterclockwise) around a circle corresponds to \_\_\_\_\_ degrees. A half revolution around a circle corresponds to \_\_\_\_\_ degrees.

Angles with measures between  $0^\circ$  and  $90^\circ$  are \_\_\_\_\_ angles. Angles with measures between  $90^\circ$  and  $180^\circ$  are \_\_\_\_\_ angles.

To find an angle that is coterminal to a given angle  $q$ , . . .

**Example 1:** Find the supplement of  $44^\circ$ .

**Example 2:** Find the complement of  $81^\circ$ .

**III. Radian Measure** (Page 457)

One **radian** is the measure of a central angle  $q$  that . . .

A central angle of one full revolution (counterclockwise) corresponds to an arc length of  $s =$  \_\_\_\_\_.

In general, the radian measure of a central angle  $q$  is obtained by . . .

A full revolution around a circle of radius  $r$  corresponds to an angle of \_\_\_\_\_ radians. A half revolution around a circle of radius  $r$  corresponds to an angle of \_\_\_\_\_ radians.

***What you should learn***

How to use degree measure

***What you should learn***

How to use radian measure

**Example 3:** Find the supplement of  $q = p/4$ .

#### IV. Conversion of Angle Measure (Page 458)

To convert degrees to radians, . . .

To convert radians to degrees, . . .

***What you should learn***

How to convert between degree and radian measures

**Example 4:** Convert  $120^\circ$  to radians.

**Example 5:** Convert  $9p/8$  radians to degrees.

**Example 6:** Complete the following table of equivalent degree and radian measures for common angles.

$q$ (degrees)	$0^\circ$		$45^\circ$		$90^\circ$		$270^\circ$
$q$ (radians)		$p/6$		$p/3$		$p$	

#### V. Applications of Angles (Pages 459–460)

To find the length  $s$  of a circular arc of radius  $r$  and central angle  $q$ , . . .

Consider a particle moving at constant speed along a circular arc of radius  $r$ . If  $s$  is the length of the arc traveled in time  $t$ , then the **linear speed** of the particle is

$$\text{linear speed} = \underline{\hspace{4cm}}$$

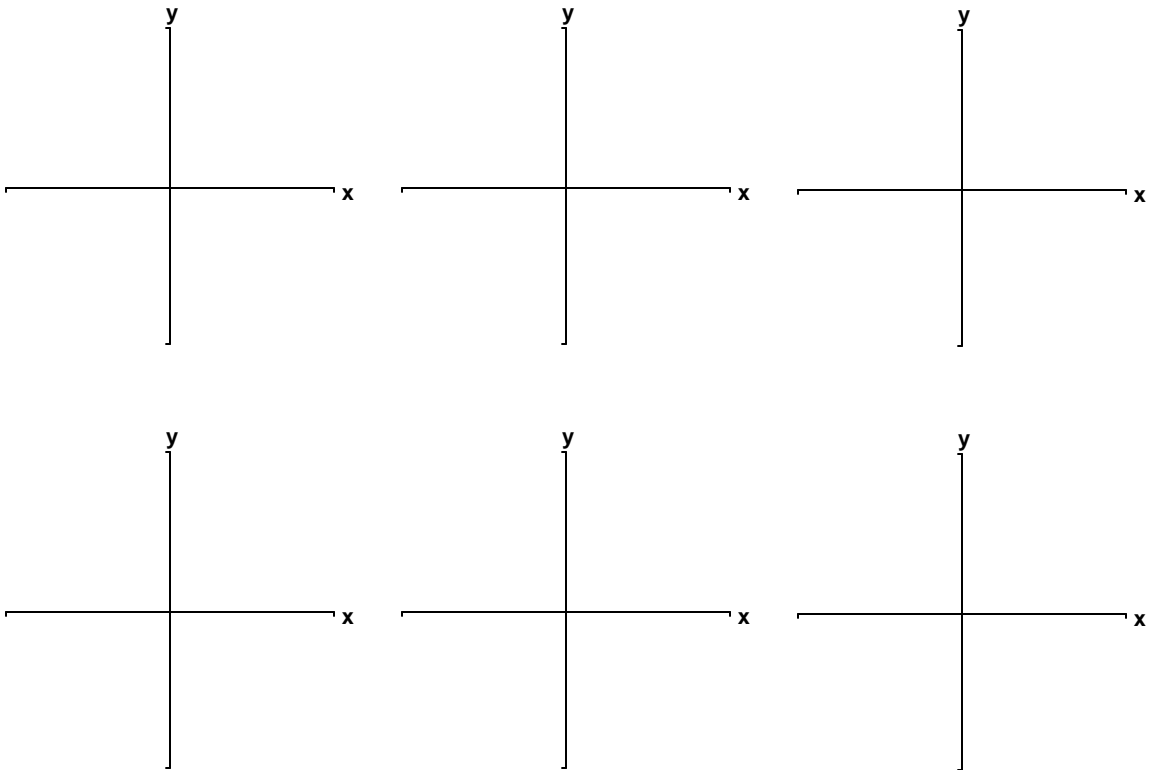
If  $q$  is the angle (in radian measure) corresponding to the arc length  $s$ , then the **angular speed** of the particle is

$$\text{angular speed} = \underline{\hspace{4cm}}$$

***What you should learn***

How to use angles to model and solve real-life problems

**Example 7:** A 6-inch-diameter gear makes 2.5 revolutions per second. Find the angular speed of the gear in radians per second.

**Additional notes****Homework Assignment**

Page(s)

Exercises